

## **A CANDIDATE MANAGEMENT PROCEDURE FOR BLUEFIN TUNA**

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### *SUMMARY*

*A candidate management procedure for bluefin tuna is evaluated.*

### *RÉSUMÉ*

*Le présent document évalue une procédure de gestion possible pour le thon rouge.*

### *RESUMEN*

*Se evalúa un procedimiento de ordenación candidato para el atún rojo.*

### *KEYWORDS*

*Management procedure, MSE, bluefin tuna*

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## 1. Introduction

A management strategy evaluation framework developed for Bluefin tuna (ABTMSE version 2.7.0) was used to test the performance of a management procedure (MP) developed following consultation with stakeholders in the Canadian Bluefin tuna fishery. The single DFO MP and several constant catch MPs applied in the western stock management area were evaluated against a single constant catch scenario for the east.

## 2. Method

A constant catch MP (CurEC100) was developed for the eastern stock that attempted to set the TAC according to the management recommendations for 2016 through 2020. In each MSE run, a 3 year management cycle for setting TACs is assumed. A 3 year interval on TAC updates resulted in a TAC being repeated until the next update. The consequence of this was that the desired TACS for the eastern stock of 23,155 MT in year one (2017) followed by 28,200 and 36,000 MT in years 2 and 3 with 36,000 MT thereafter were rather 23,155 MT for years 1 to 3 and 28,200 thereafter.

The DFO western MP (DFO7\_40\_10) uses index 7 (GOM\_LAR\_SUV) to predict stock status and derive a TAC recommendation. Healthy, cautious, critical and super critical zones are defined by the reference values 1.0, 0.4 and 0.1. The stock status at the conclusion of a management cycle is determined by comparing the ratio of the index value at the end of a cycle to a base value of the index. The base value is the mean of the index values in the last 3 years of the historical period.

In addition to an evaluation of status based on the index, the MP also determines the trend in the index over the most recent 4 years in order. The magnitude and direction of the trend affects the TAC recommendation conditional on stock status and comprise the control rules.

These control rules are as follows:

1. When the stock is in the healthy zone and the trend is positive, the TAC is increased by a scalar of 0.3 applied to the magnitude of the trend. Thus a slope of 1.0 increases the TAC by 30%. Otherwise, if the trend is negative there is no adjustment in the TAC.
2. When the stock is in the cautious zone and the trend is negative, the TAC is decreased by a scalar of 0.1 applied to the magnitude of the trend. Thus a slope of -1.0 decreases the TAC by 10%. Otherwise, if the trend is positive there is no adjustment in the TAC.
3. When the stock is in the critical zone, the TAC is decreased by a scalar of 0.1 applied to the magnitude of the trend 50%. In the event that the status falls below the critical zone, the TAC is set to 0.

In mathematical terms the MP works as follows:

$$I_{base} = \sum_{y=2012}^{2015} I_y / 4$$

$$I_{ratio} = I_n / I_{base}$$

$$\beta = I_j - \alpha / Y_j, \quad j = y_{n-3}, \dots, y_n$$

Healthy Zone

$$I_{ratio} \geq 1 \wedge \beta \geq 0, \quad TAC_{y_{n+1}} = (1 + \beta \times 0.3) \times TAC_{y_n}$$

$$I_{ratio} \geq 1 \wedge \beta < 0, \quad TAC_{y_{n+1}} = TAC_{y_n}$$

Cautious Zone

$$I_{ratio} < 1 \wedge I_{ratio} \geq 0.4 \wedge \beta < 0, \quad TAC_{y_{n+1}} = (1 + \beta \times 0.1) \times TAC_{y_n}$$

$$I_{ratio} < 1 \wedge I_{ratio} \geq 0.4 \wedge \beta \geq 0, \quad TAC_{y_{n+1}} = TAC_{y_n}$$

Critical Zone A

$$I_{ratio} < 0.4 \wedge I_{ratio} \geq 0.1, \quad TAC_{y_{n+1}} = 0.5 \times TAC_{y_n}$$

Critical Zone B

$$I_{ratio} < 0.1, \quad TAC_{y_{n+1}} = 0$$

The remaining MPs are all constant catch scenarios which reflect the current TAC set by ICCAT and alternatives of 1x, 1.5x and 2x increases (CurC100, CurC150, CurC200).

For all runs a perfect implementation model is assumed but with bad observations and the MPs are all run against the example OM which may be identical to OM\_1 but with only 12 simulations. Each MSE run is followed by a series of plots that:

1. Compare the catch by area to the TAC by area,
2. Describe  $B/B_{MSY}$  and  $F/F_{MSY}$ ,
3. Evaluate performance against objectives and
4. Provide a series of diagnostic plots that are views of the SSB, SSBa, TAC, Cobs, C, D, Iobs and Bt vectors from the dset and MSE objects created following each MSE run.

Note that the diagnostic plots are based on the results from simulation 1 only whereas the other plots capture the variability in the responses from all 12 simulations.

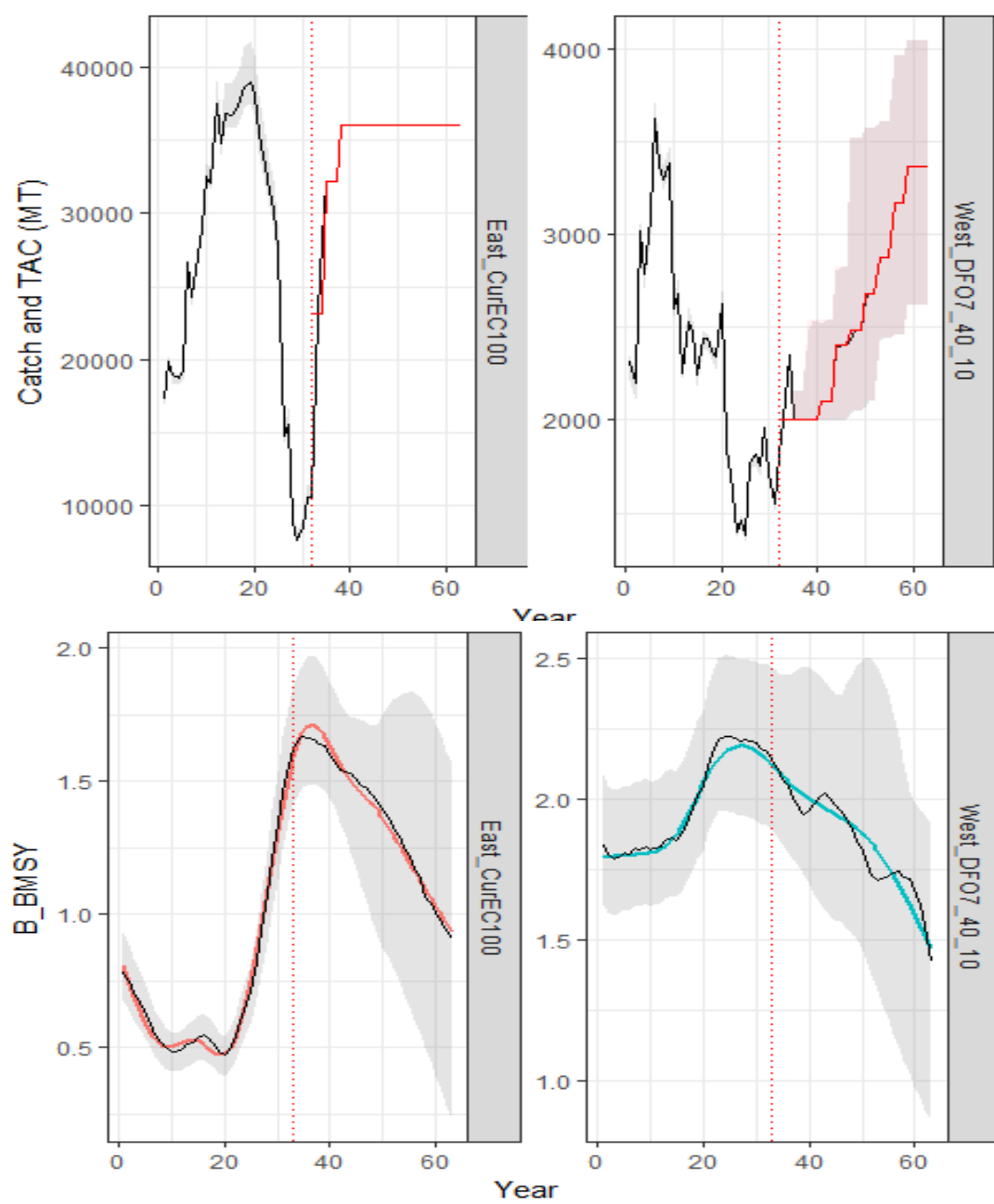
### 3. Results

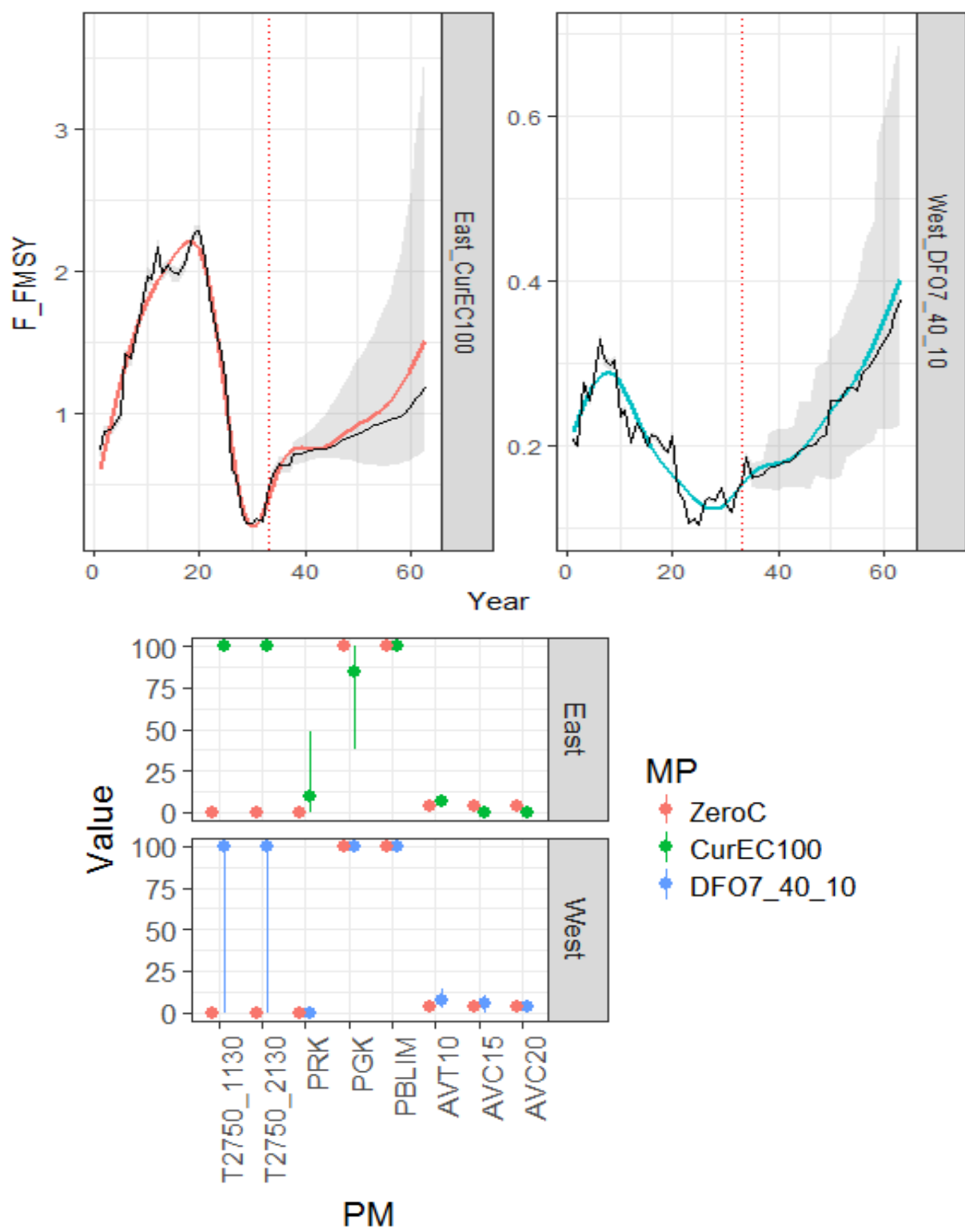
The MSE outputs for DFO MP show the median (black) and mean (coloured) value of the simulations. The grey or pink envelope represents the 97.5 and 2.5 percentiles of the simulations. In these runs there are only 16 simulations so the full uncertainty of the MP performance is likely not captured.

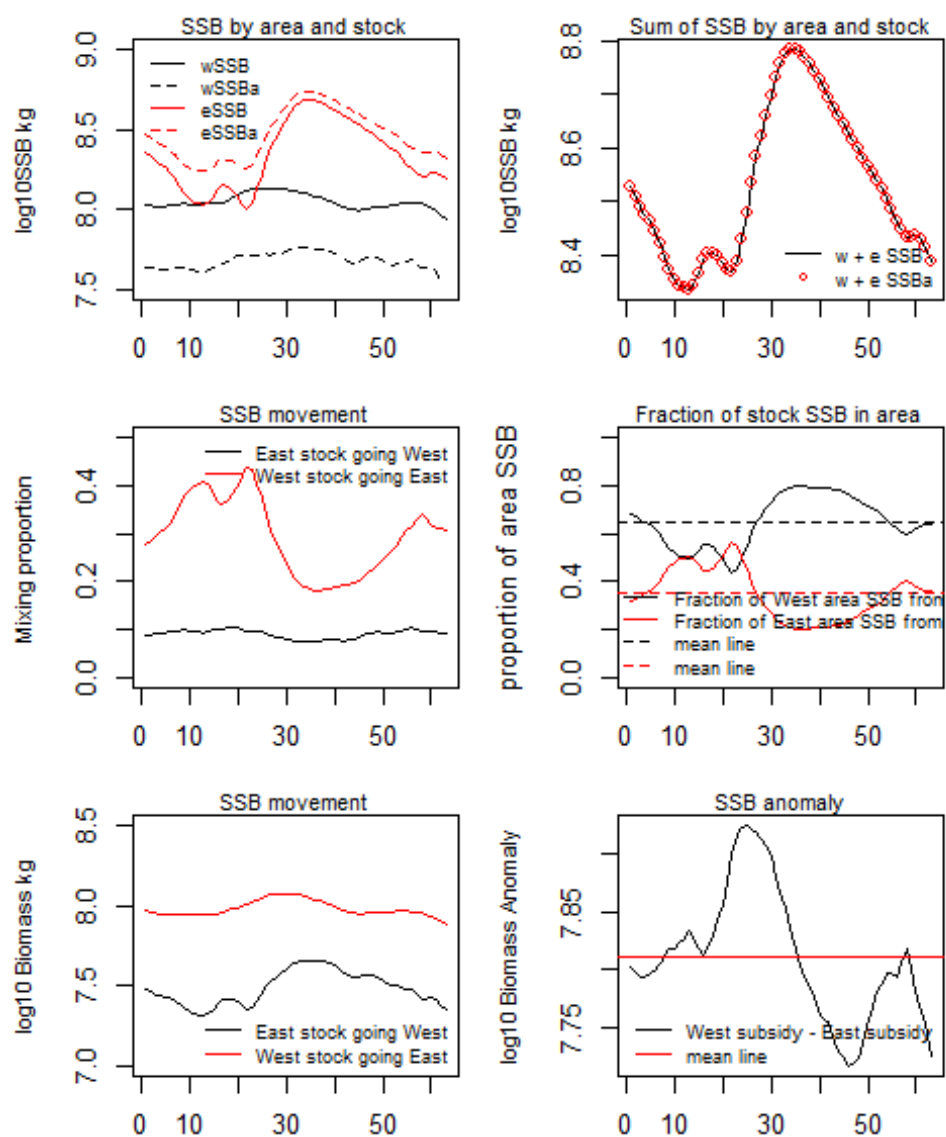
In the performance metric plot:

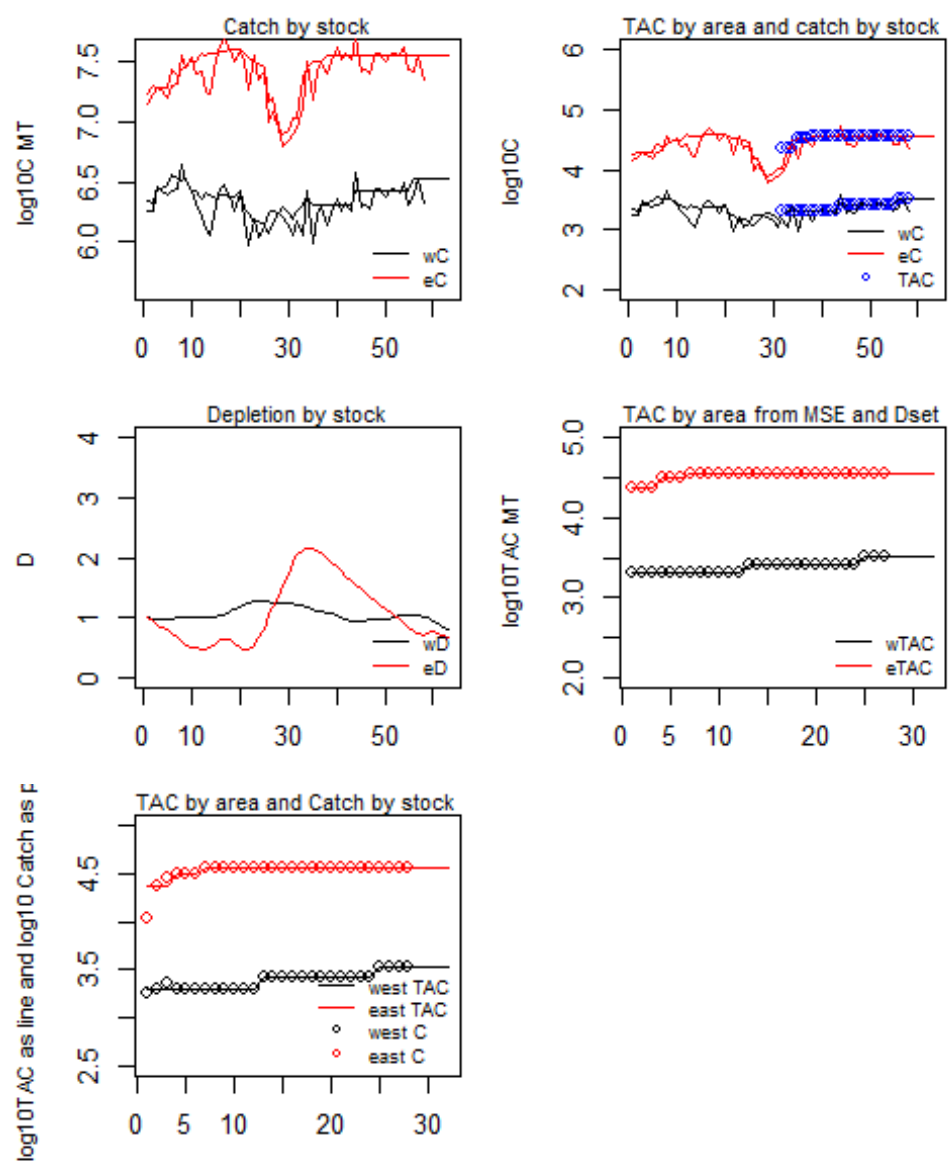
1. PBLIM determines the probability that the stock biomass is below  $B_{LIM}$  over the projected 30 year time period.  $B_{LIM}$  is  $.1 \times B_{MSY}$  and performance  $< 5\%$  is preferred.
2. PRK determines the probability that  $BF_{MSY}$ , over the 30 year projected time period. Performance  $< 10\%$  is preferred.
3. PRK determines the probability that  $BF_{MSY}$ , over the 30 year projected time period. Performance  $< 10\%$  is preferred.
4. C2750\_2130 determines the probability that the catch is at least 2750 MT in years 21 to 30. Performance  $> 60\%$  is preferred.  $pp = 2 = \text{West}$ .
5. C2750\_1130 determines the probability that the catch is at least 2750 MT in years 11 to 30. Performance  $> 60\%$  is preferred.  $pp = 2 = \text{West}$ .
6. T2750\_2130 determines the probability that the TAC is at least 2750 MT in years 21 to 30. Performance  $> 60\%$  is preferred.  $pp = 2 = \text{West}$ .

7. T2750\_1130 determines the probability that the catch is at least 2750 MT in years 11 to 30. Performance > 60% is preferred. pp = 2 = West.
8. AVC10 determines if the annual change in yield over the 30 year projected time period is less than 10%. Performance > 60% is preferred.
9. AVC15 determines if the annual change in yield over the 30 year projected time period is less than 15%. Performance > 60% is preferred.
10. AVC20 determines if the annual change in yield over the 30 year projected time period is less than 20%. Performance > 60% is preferred.
11. AVT10 determines the probability that the annual change in TAC over the 30 year projected time period is less than 10%. Performance > 60% is preferred.

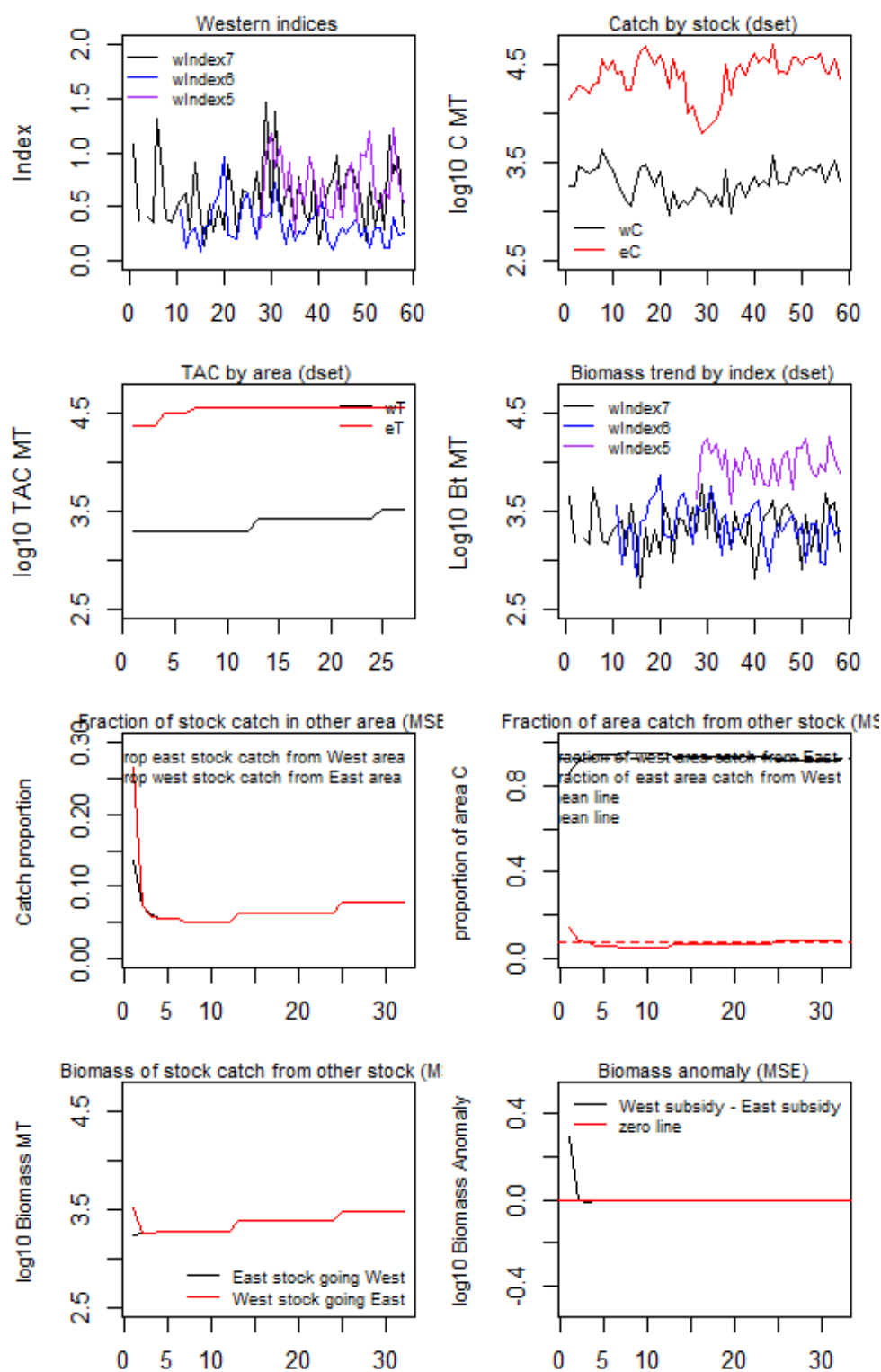




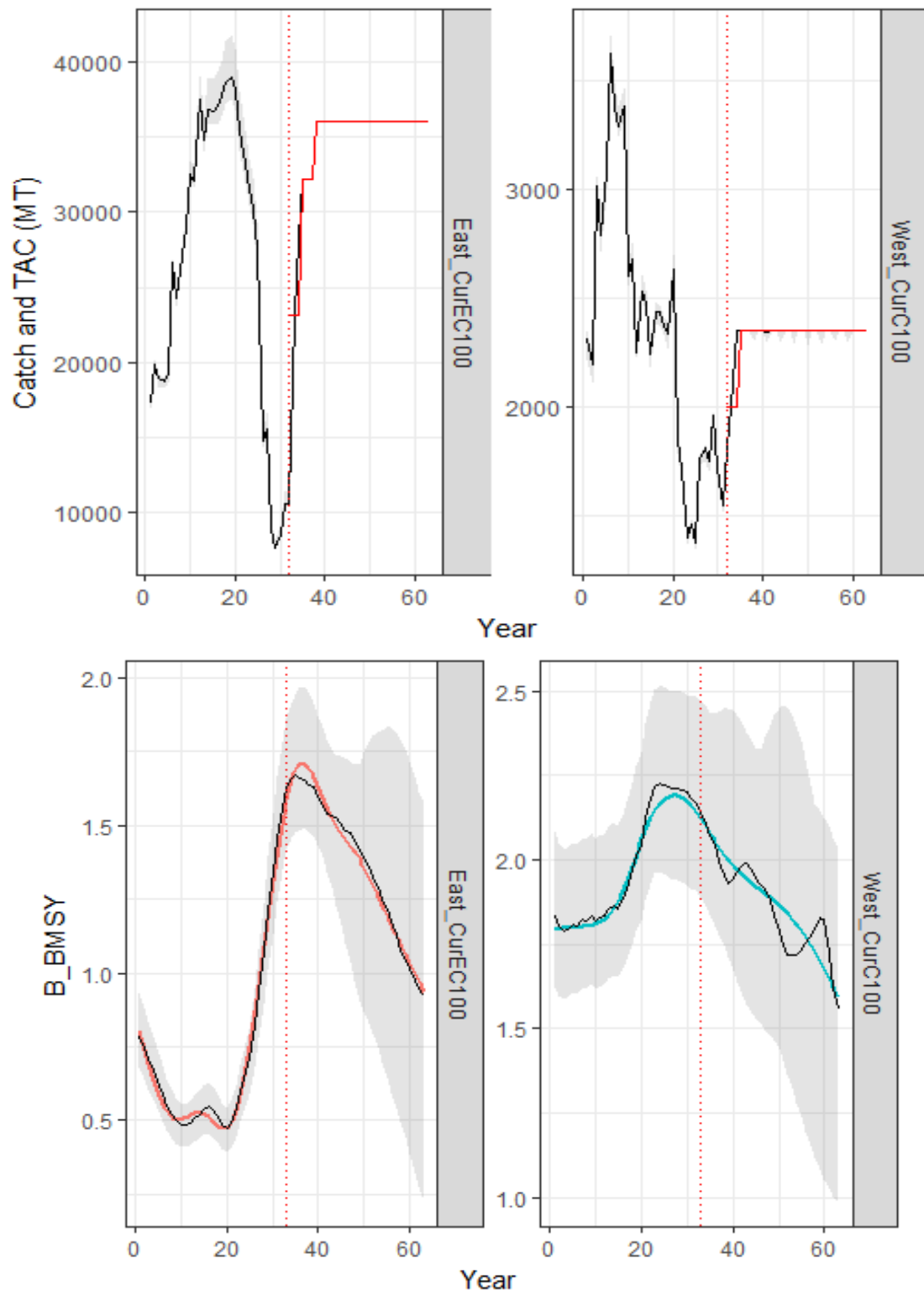


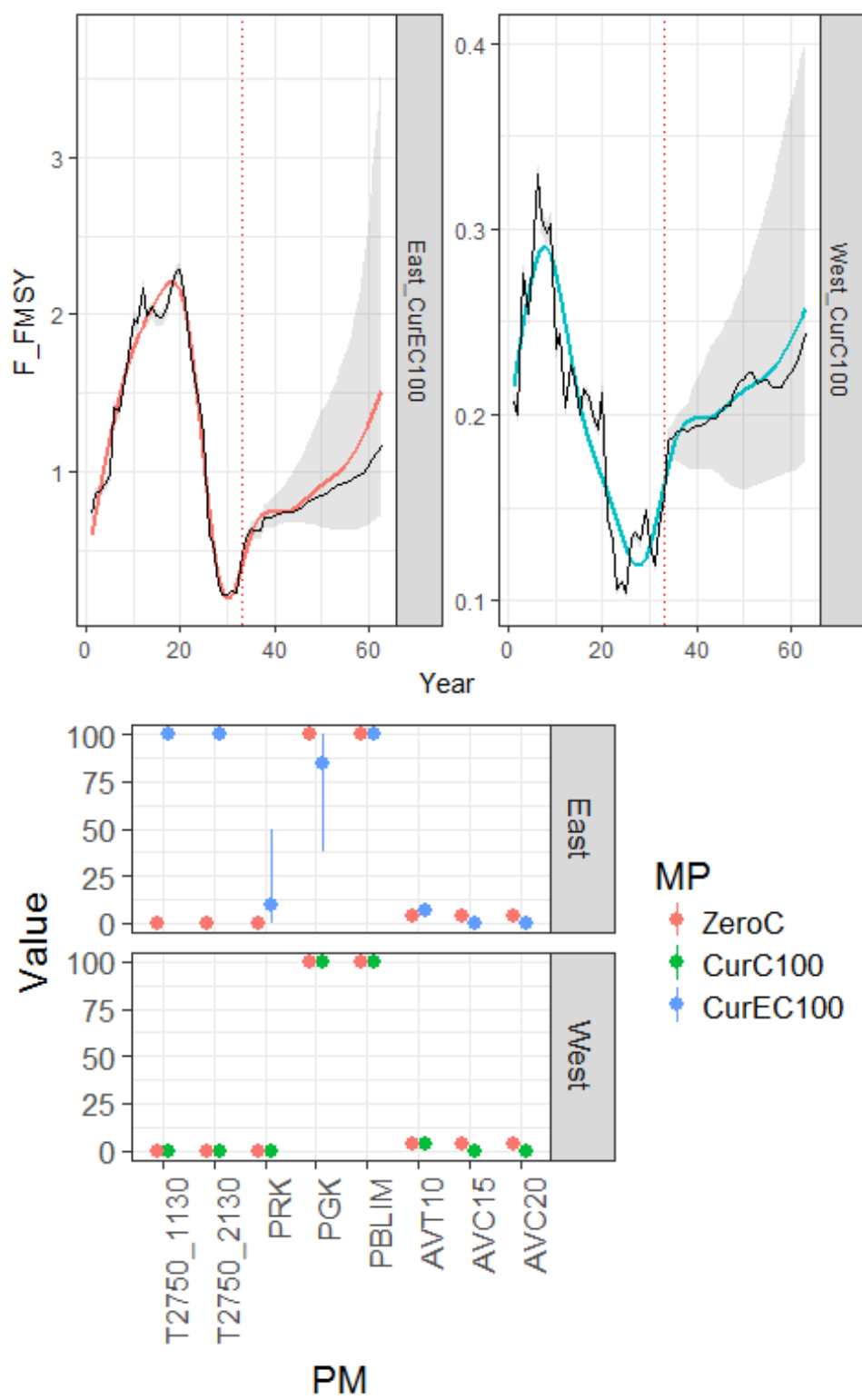


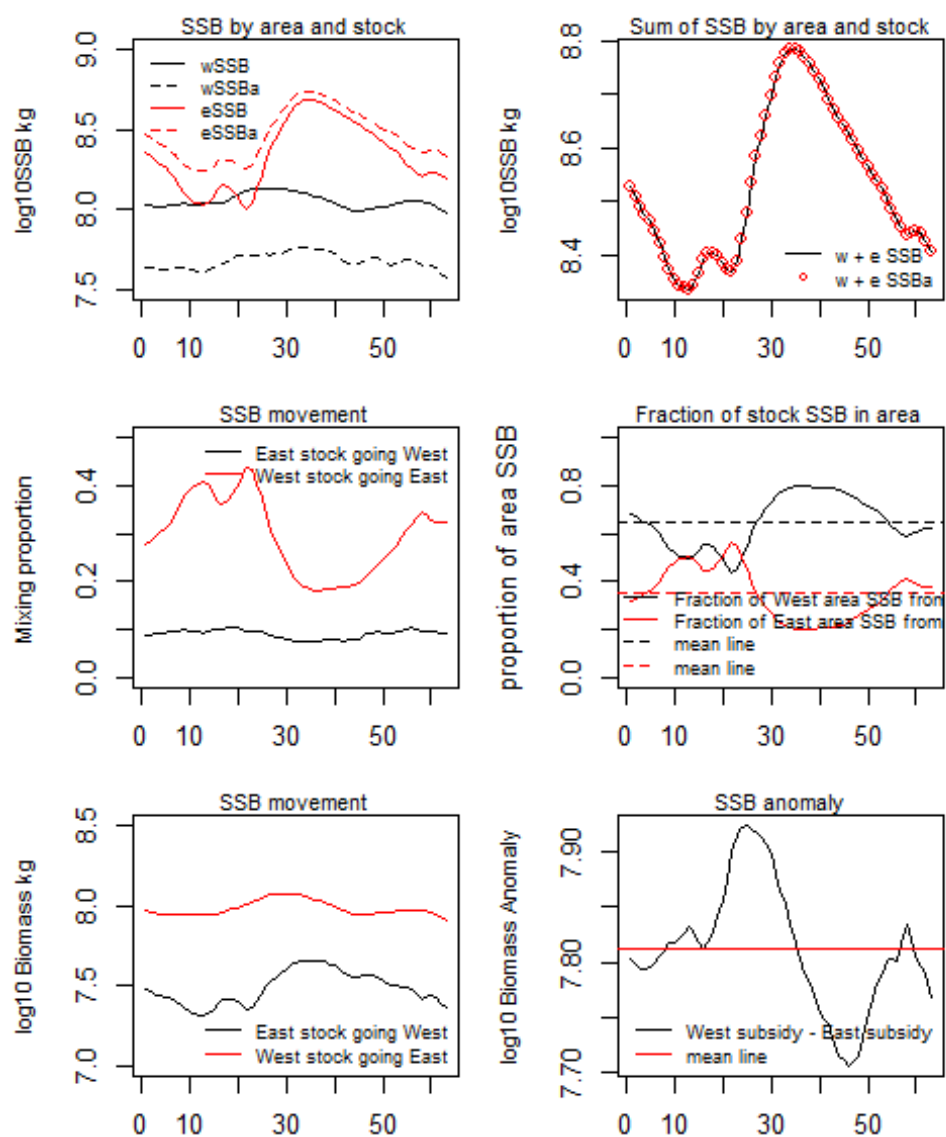


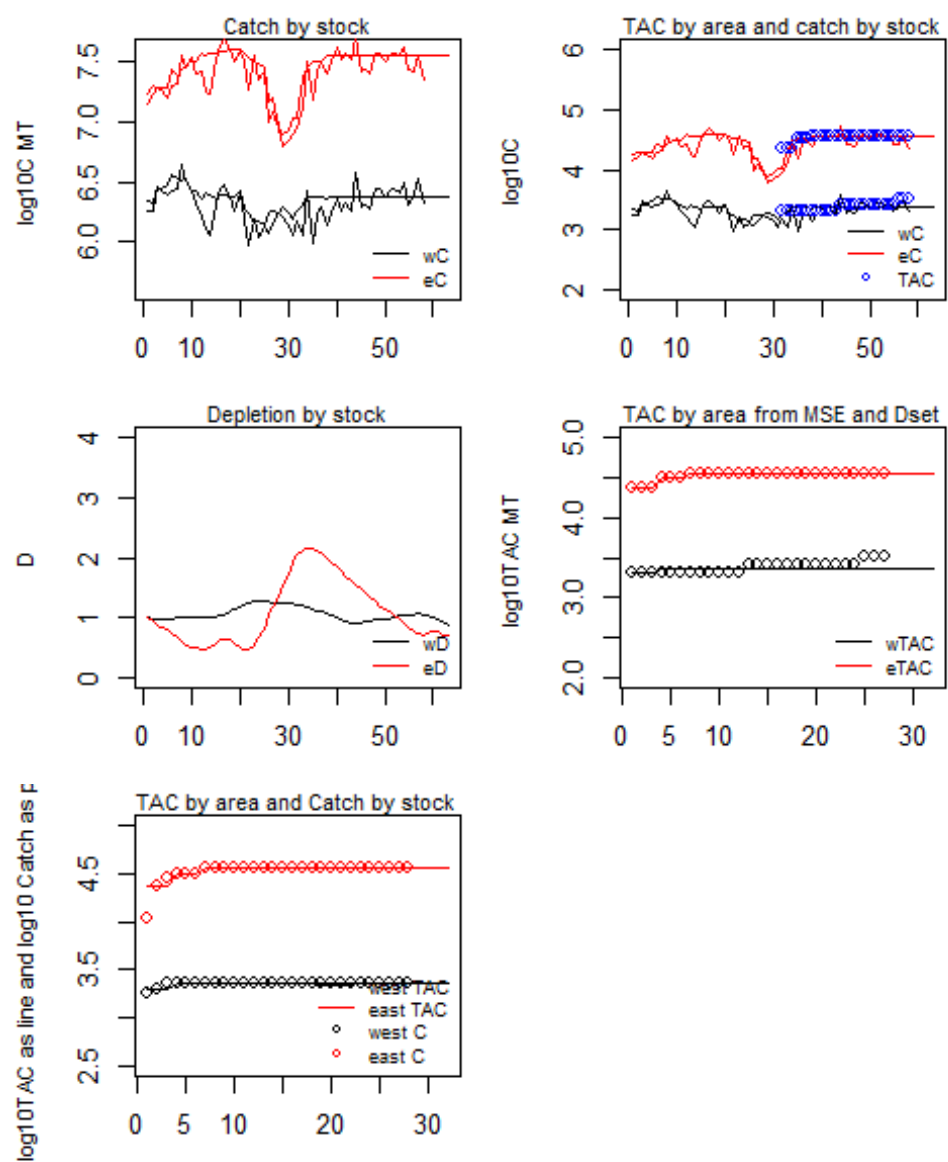


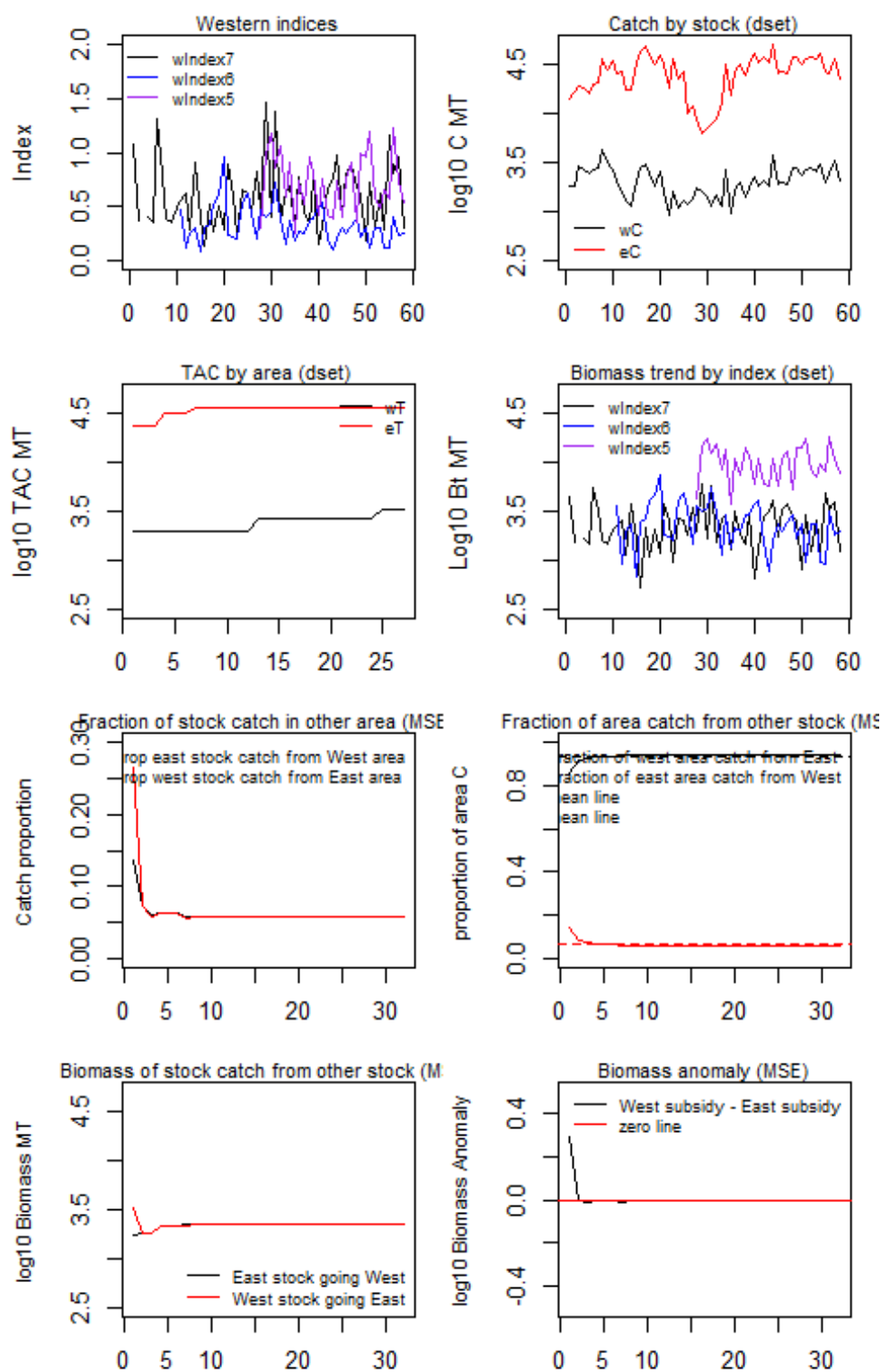
Current catch for both stocks.



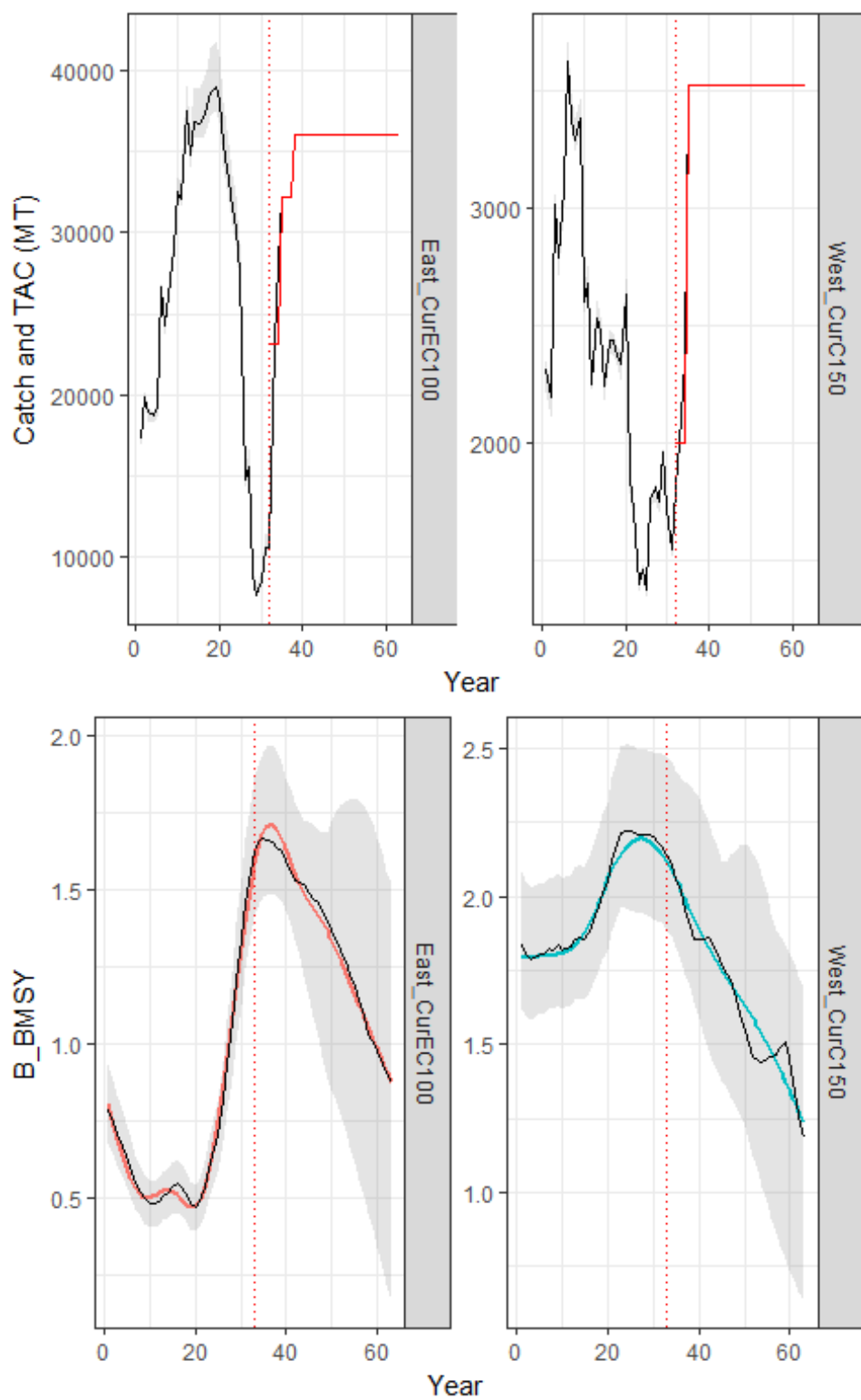


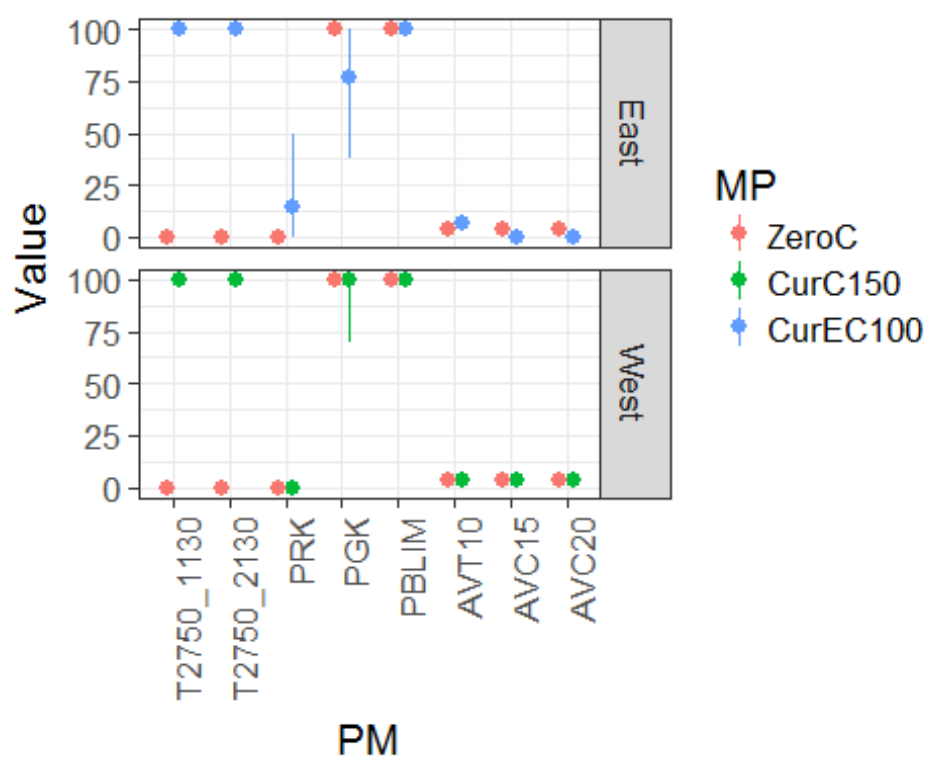
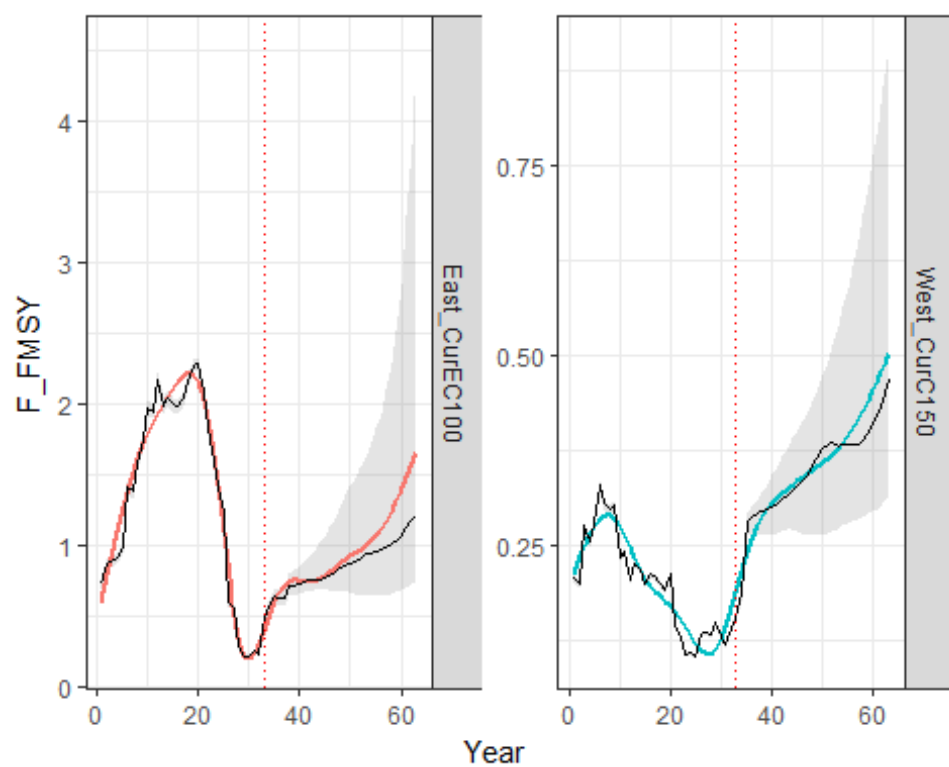




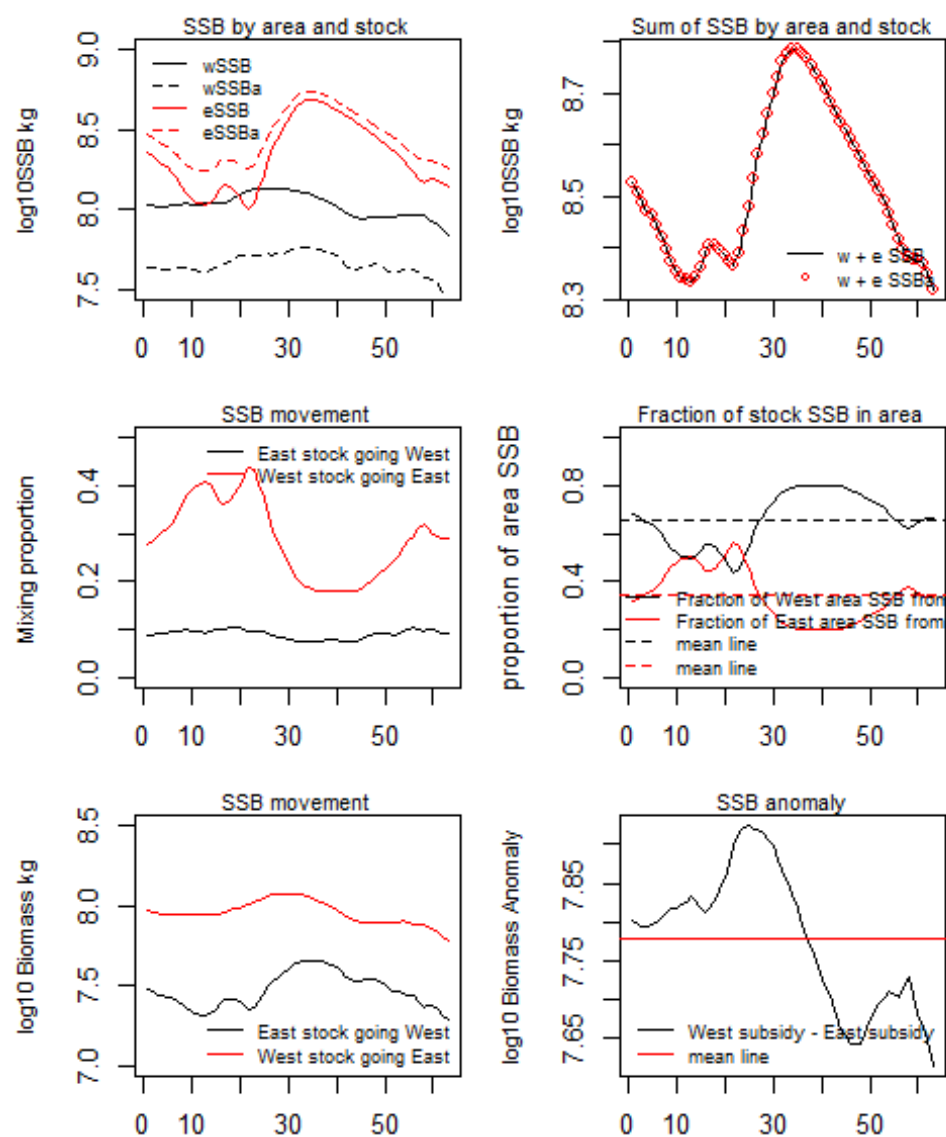


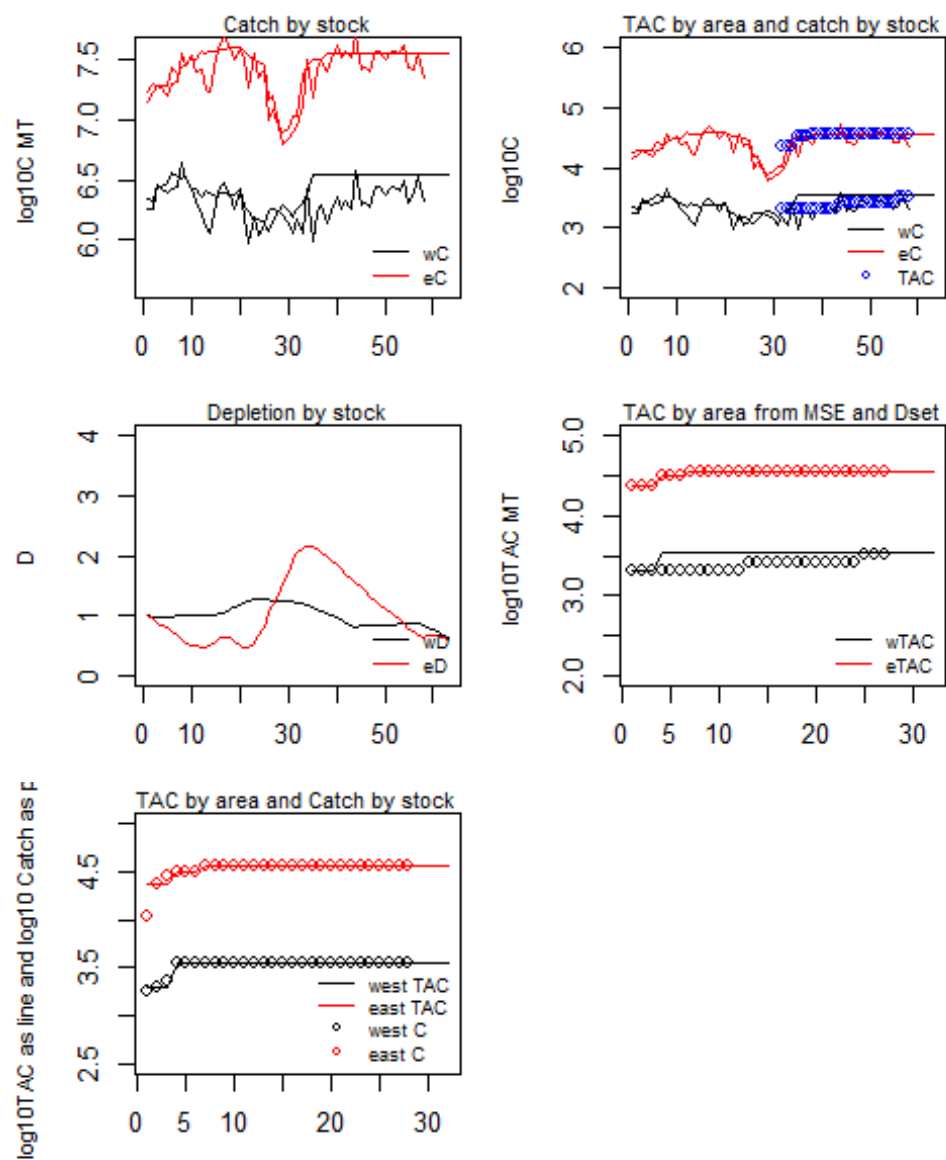
Catch for the western stock is 50% higher than current.

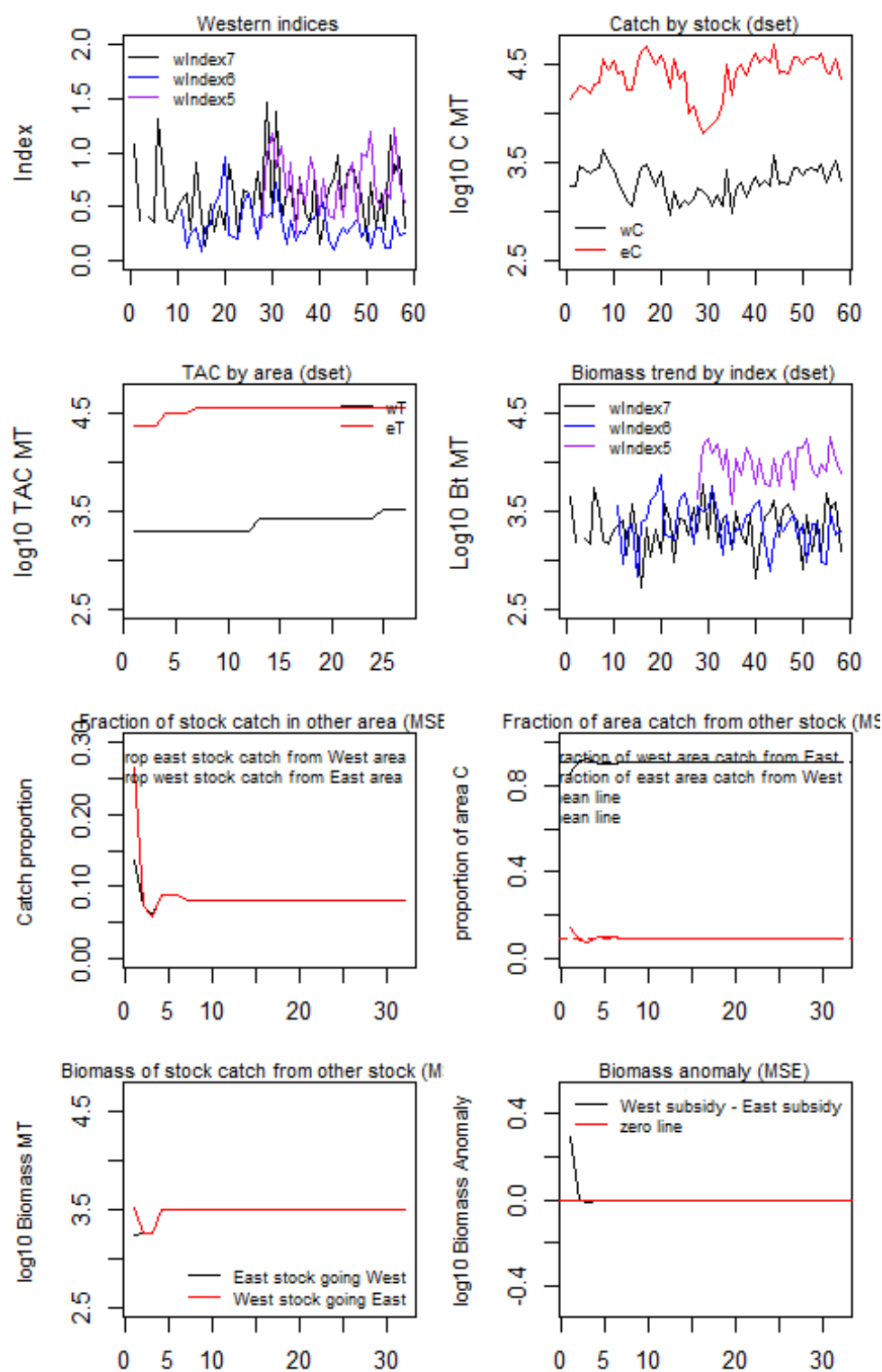




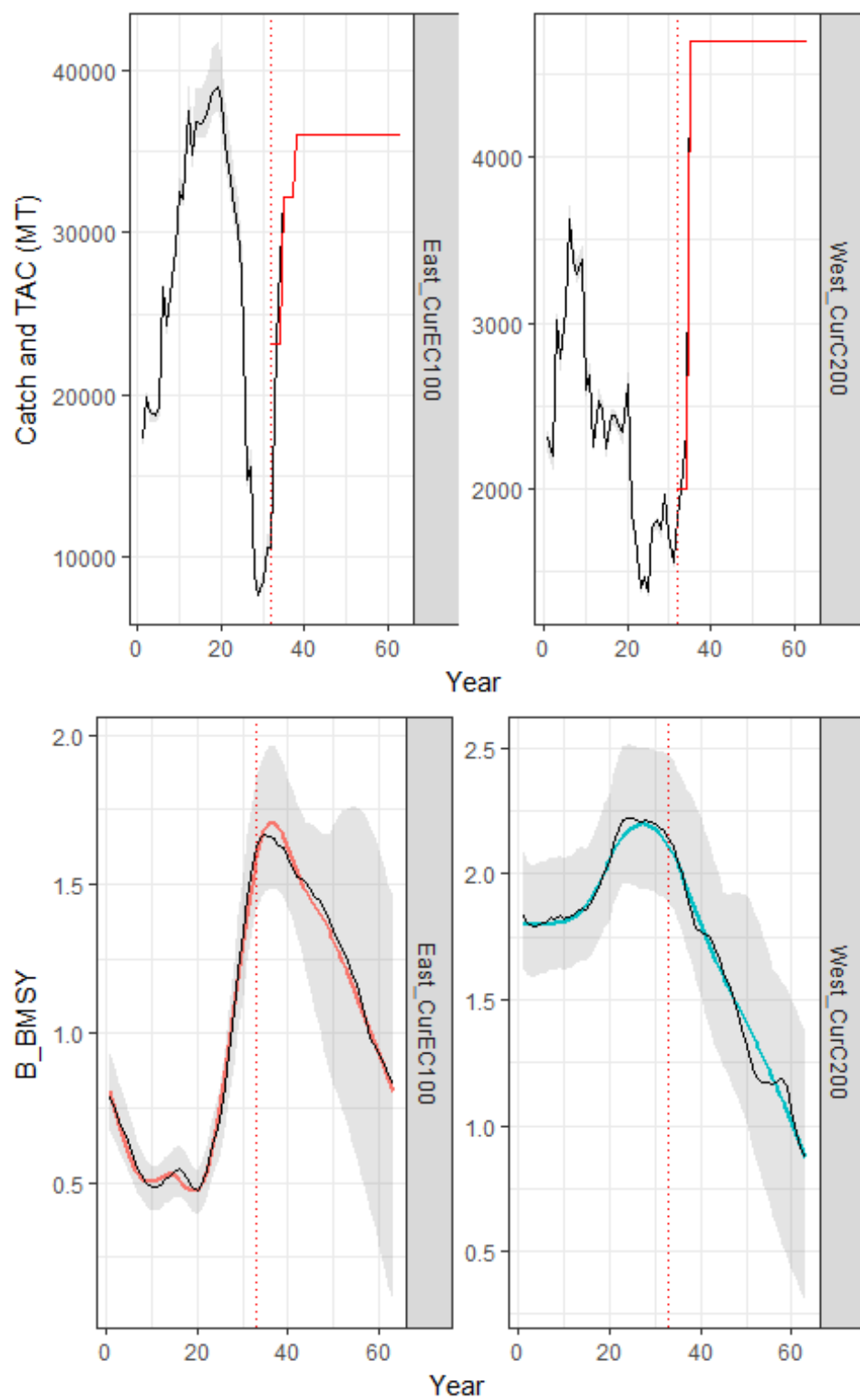


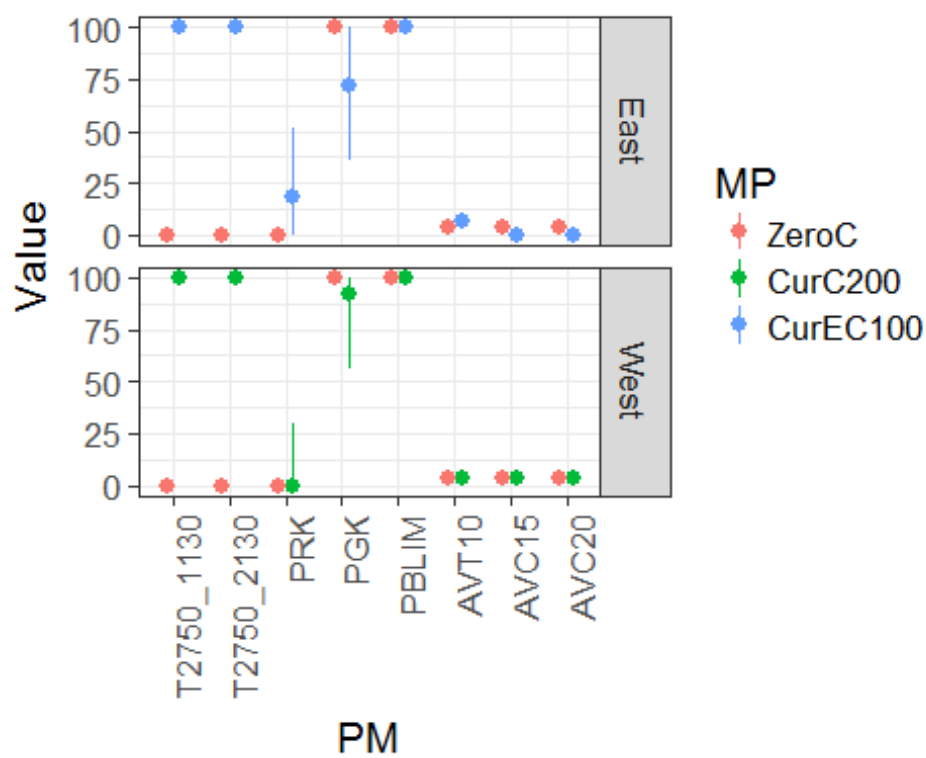
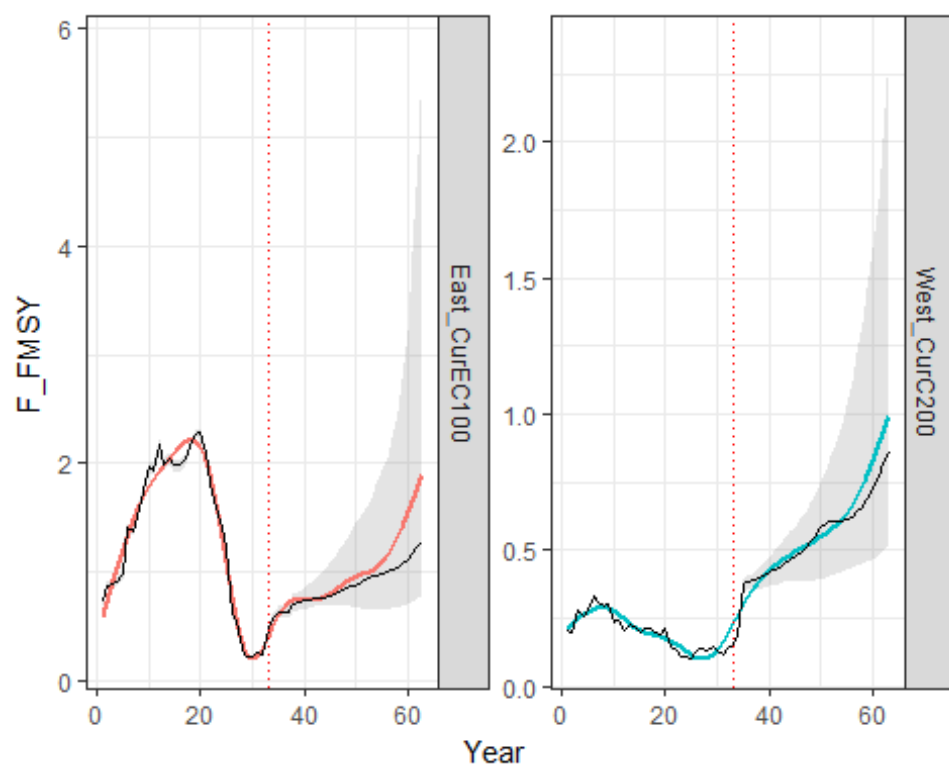


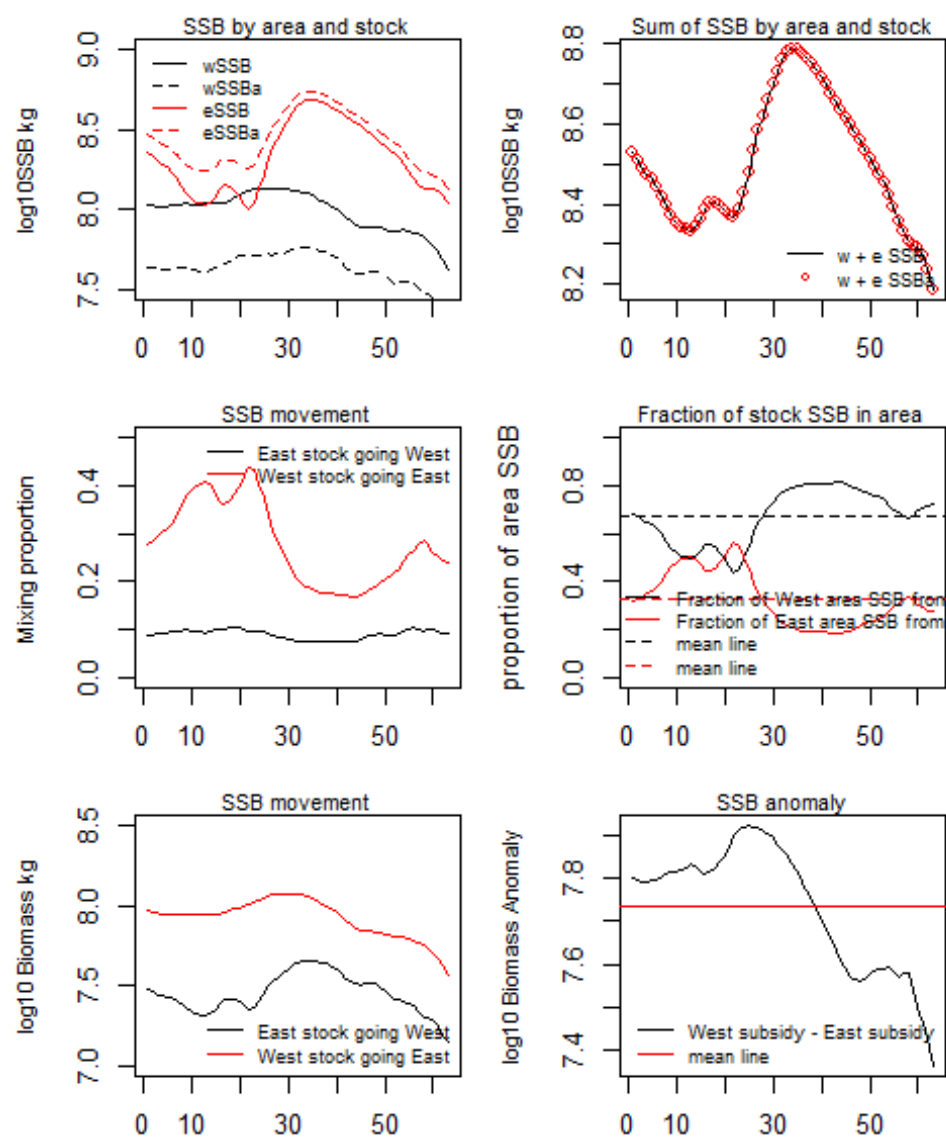


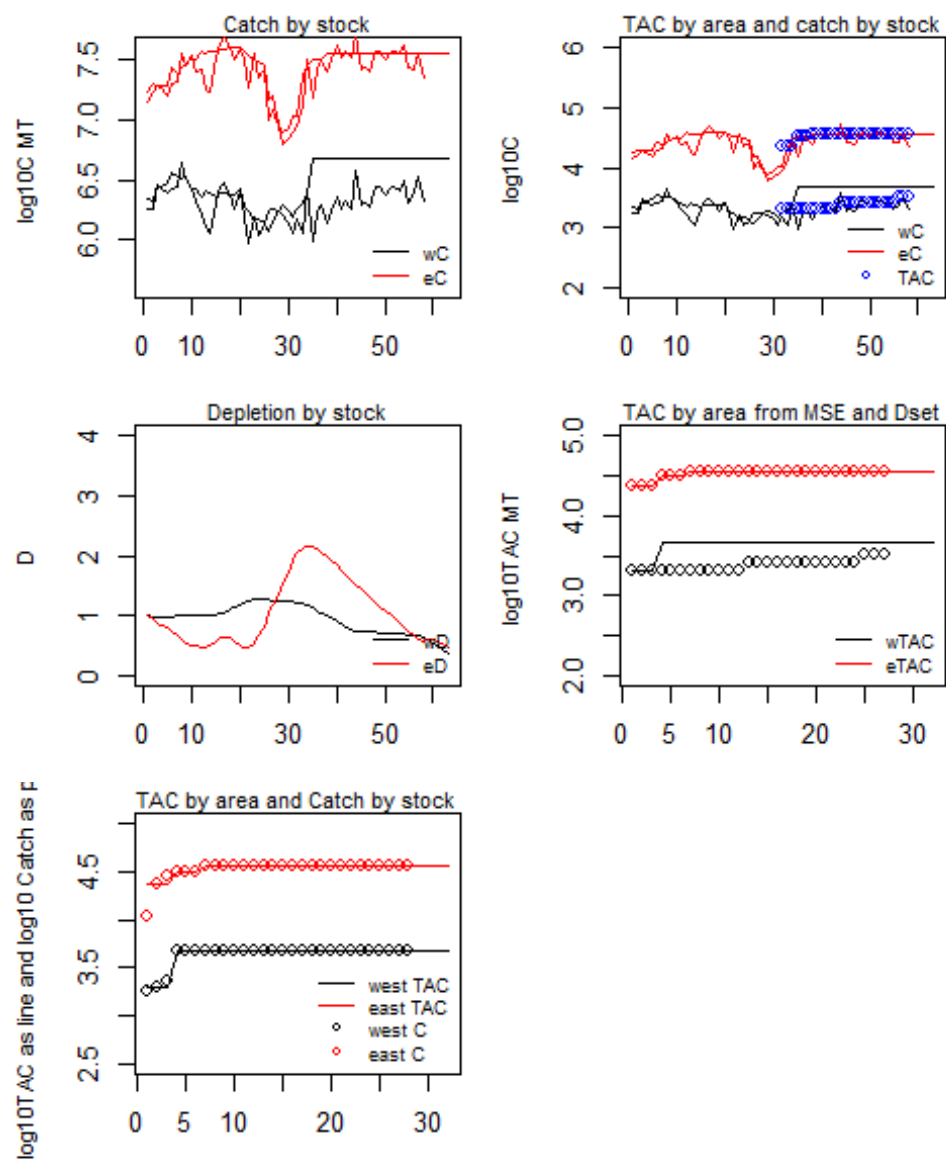


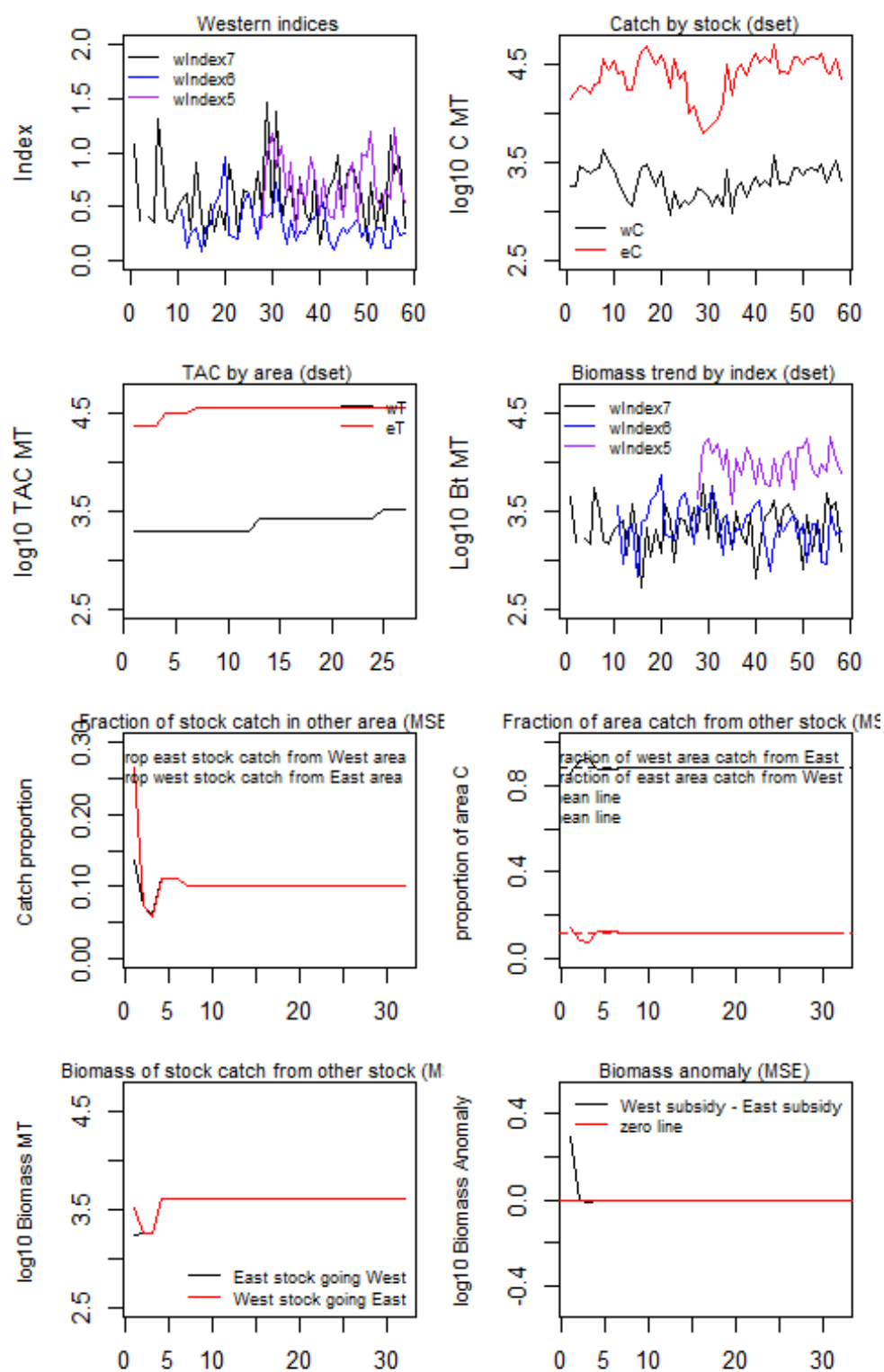
Catch for the western stock is 100% higher than current.













**# Candidate management procedures and performance metrics**  
**# A.R. Hanke, Feb. 28, 2018**

```
#####  

### Performance metrics      ###  

#####
```

# PRK determines the probability that  $B < B_{MSY}$  &  $F > F_{MSY}$ , over the  
# 30 year projected time period. Performance < 10% is preferred.

```
PRK =  
function (MSE, pp = 1)  
{apply(MSE@F_FMSY[, , pp, MSE@nyears + 1:30] > 1 &  
      MSE@B_BMSY[, , pp, MSE@nyears + 1:30] < 1, 1:2, mean) * 100}
```

```
class(PRK)<-'PM'
```

# PGK determines the probability that  $B > B_{MSY}$  &  $F < F_{MSY}$ , over the  
# 30 year projected time period. Performance > 60% is preferred.  
# \*\*\*This PM function already exists!\*\*\*

```
#TAC[nsim x MP x stock x proyear]  
#C[MP x nsim x nstocks x nyears]
```

# C2750\_2130 determines the probability that the catch is at least 2750 MT  
# in years 21 to 30. Performance > 60% is preferred. pp = 2 = West.

```
C2750_2130 =  
function (MSE, pp = 2)  
{apply(MSE@C[, , pp, MSE@nyears + 21:30]>=2750000, 1:2, mean)*100}
```

```
class(C2750_2130)<-'PM'
```

# C2750\_1130 determines the probability that the catch is at least 2750 MT  
# in years 11 to 30. Performance > 60% is preferred. pp = 2 = West.

```
C2750_1130 =  
function (MSE, pp=2 )  
{apply(MSE@C[, , pp, MSE@nyears + 21:30]>=2750000, 1:2, mean)*100}
```

```
class(C2750_1130)<-'PM'
```

# T2750\_2130 determines the probability that the TAC is at least 2750 MT  
# in years 21 to 30. Performance > 60% is preferred. pp = 2 = West.

```
T2750_2130 =  
function (MSE, pp = 2)  
{apply(MSE@TAC[, , pp, 2 + 21:30]>=2750000, c(2,1), mean)*100}
```

```
class(T2750_2130)<-'PM'
```

# T2750\_1130 determines the probability that the catch is at least 2750 MT  
# in years 11 to 30. Performance > 60% is preferred. pp = 2 = West.

```
T2750_1130 =  
function (MSE, pp=2 )  
{apply(MSE@TAC[, , pp, 2 + 21:30]>=2750000, 2:1, mean)*100}
```

```
class(T2750_1130)<-'PM'
```

# PBLIM determines the probability that the stock biomass is below  $B_{LIM}$  over  
# the projected 30 year time period. Blim is  $.1 * B_{MSY}$  and performance <5% is preferred.

```
PBLIM =  
function(MSE, pp=1, lim = .1)
```

```

{apply(MSE@B_BMSY[, , pp, MSE@nyears + 1:30]>lim, 1:2, mean)*100}

class(PBLIM)<-'PM'

# AVC10 determines if the annual change in yield over the 30 year projected time
# period is less than 10%. Performance > 60% is preferred.
AVC10 =
function (MSE, pp = 1)
{ ind1 <- MSE@nyears + 1:(MSE@proyears - 1)
  ind <- MSE@nyears + 2:MSE@proyears
  C <- MSE@C[, , pp, ]
  C[C == 0] <- tiny
  apply((abs(C[, , ind] - C[, , ind1])/C[, , ind1])>.1, 1:2,
    sum, na.rm = T)/length(ind) * 100}

class(AVC10) = 'PM'

# AVC15 determines if the annual change in yield over the 30 year projected time
# period is less than 15%. Performance > 60% is preferred.
AVC15 =
function (MSE, pp = 1)
{ ind1 <- MSE@nyears + 1:(MSE@proyears - 1)
  ind <- MSE@nyears + 2:MSE@proyears
  C <- MSE@C[, , pp, ]
  C[C == 0] <- tiny
  apply((abs(C[, , ind] - C[, , ind1])/C[, , ind1])>.15, 1:2,
    sum, na.rm = T)/length(ind) * 100}

class(AVC15) = 'PM'

# AVC20 determines if the annual change in yield over the 30 year projected time
# period is less than 20%. Performance > 60% is preferred.
AVC20 =
function (MSE, pp = 1)
{ ind1 <- MSE@nyears + 1:(MSE@proyears - 1)
  ind <- MSE@nyears + 2:MSE@proyears
  C <- MSE@C[, , pp, ]
  C[C == 0] <- tiny
  apply((abs(C[, , ind] - C[, , ind1])/C[, , ind1])>.2, 1:2,
    sum, na.rm = T)/length(ind) * 100}

class(AVC20) = 'PM'

# AVT10 determines the probability that the annual change in TAC over the 30 year projected time
# period is less than 10%. Performance > 60% is preferred.
AVT10 =
function (MSE, pp = 2)
{ ind1 <- 2 + 1:(MSE@proyears - 1)
  ind <- 2 + 2:MSE@proyears
  T <- MSE@TAC[, , pp, ]
  T[T == 0] <- tiny
  apply((abs(T[, , ind] - T[, , ind1])/T[, , ind1])>.1, 2:1,
    sum, na.rm = T)/(MSE@proyears-1) * 100}

class(AVT10) = 'PM'

```

```
#####
### Management Procedures      ###
#####

# Constant catch that is 100% greater than current catch
CurC200 =
  function(x,dset){
    dset$CurTAC[x] * 2
  }

class(CurC200) = 'MP'
environment(CurC200) <- asNamespace('ABTMSE')

# Eastern Recommended TAC. Current TAC recommendations, where last TAC held constant.
CurEC100 =
  function(x,dset){
    ny <- length(dset$Cobs[x, ])

    if(ny == 33) TAC = 23155000 # 2017
    if(ny == 34) TAC = 28200000 # 2018
    if(ny == 34) TAC = 32240000 # 2019
    if(ny == 35) TAC = 36000000 # 2020
    if(ny > 35) TAC = 36000000
    TAC
  }

class(CurEC100) = 'MP'
environment(CurEC100) <- asNamespace('ABTMSE')

# By default DFO7_40_10 adjusts the TAC using index 7 (GOM_LAR_SUV).
# Adjustments are a function of the value of rat relative to references
# points (.1, .4 and 1 times I_dat/I_msy and the slope of the indicator.
#
# Other indices can be selected by changing the index ID.

DFO7_40_10 =
  function (x, dset, yrsmith = 4, lim = c(0.1, 0.4, 1), alp = c(0.5, 0.1, 0.3),
    IndexID = 7,
    I_base = c(7.237943e+00, 1.000000e-01, 3.384223e+01,
      2.323167e+04, 1.917647e+00, 1.020295e+00,
      5.455633e-01))
  { ny <- length(dset$Cobs[x, ]) # number of years of data
    ind <- (ny - (yrsmith - 1)):ny # subset of years used in HCR
    yind <- 1:yrsmith # index of ind
    I_dat = dset$Iobs[x,IndexID,ind] # Index values for last yrsmith years
    I_msy = I_base[IndexID]/10 # assumes B/Bmsy=2 and I~B
    T_dat = dset$TAC[x, ] # TAC

    # slope of index over last yrsmith years
    slope = coef(lm(scale(y,center = F) ~ scale(x, center = F),
      data=data.frame(x=yind, y=I_dat)))[2]

    # slpadj = 180*atan(slope)/pi/45 # adjust to TAC increase based on trend

    TAC = T_dat[length(T_dat)]
    rat = I_dat[length(I_dat)]/I_msy

    # Healthy Zone rules
    if (rat >= lim[3]& sign(slope)<0)
      OFL = TAC
  }

```

```

if (rat >= lim[3] & sign(slope) >= 0)
  OFL = (1 + slope * alp[3]) * TAC

# Cautious Zone rules
if (rat < lim[3] & rat >= lim[2] & sign(slope) < 0)
  OFL = (1 + slope * alp[2]) * TAC
if (rat < lim[3] & rat >= lim[2] & sign(slope) >= 0)
  OFL = TAC

# Critical Zone rules
if (rat < lim[2] & rat >= lim[1])
  OFL = alp[1] * TAC
if (rat < lim[1])
  OFL = 0
if (OFL <= 0)
  OFL = 0
OFL}

class(DFO7_40_10) = 'MP'
environment(DFO7_40_10) <- asNamespace('ABTMSE')

#####
# Implementation models #####
#####

# Perfect implementation
Underage_0 =
function (U, over = 0, maxU = 0.9)
{
  U <- U * (1 + over)
  U[U > maxU] <- maxU
  U
}

class(Underage_0) = "IE"

# Underage of 10%
Underage_10 =
function (U, over = -0.1, maxU = 0.9)
{
  U <- U * (1 + over)
  U[U > maxU] <- maxU
  U
}

class(Underage_10) = "IE"

```